

**HORIZONTAL CURVE SETTING BY OFFSETS OR ORDINATES FROM LONG CHORD**

**INPUT**

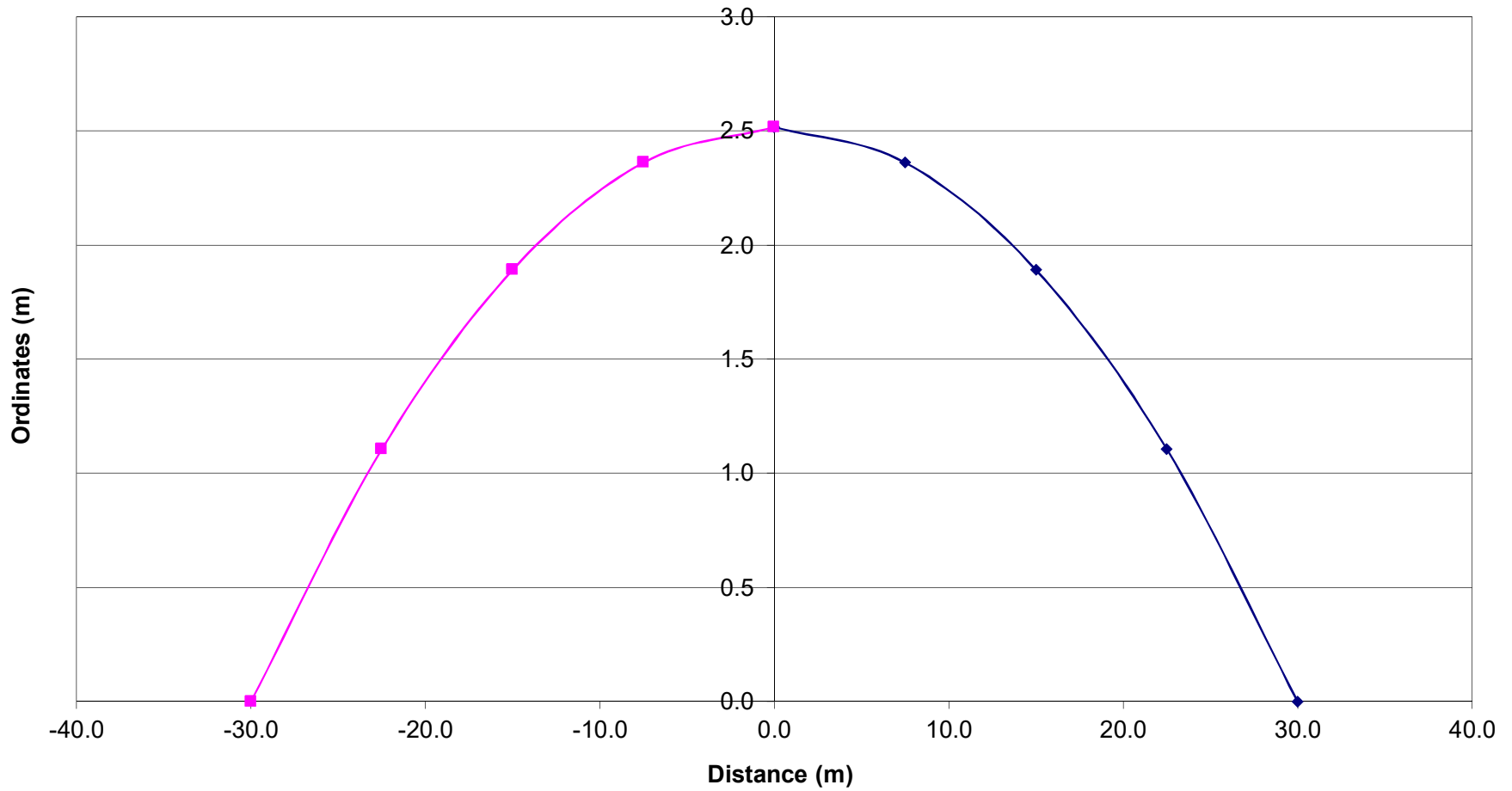
INTERVAL FOR ORDINATES IN METERS (m) =	7.5
LENGTH OF LONG CHORD IN METERS (m) =	60
RADIUS OF CURVE IN METERS (m) =	180

**SOLUTION**

**ORDINATE AT THE MIDDLE OF LONG CHORD** 2.518 m

Distance x from Mid Point	Ordinate in m	Distance x from Mid Point
	$\sqrt{R^2 - x^2} - \sqrt{R^2 - (L/2)^2}$	
x (m)	y (m)	-x (m)
0.00	2.518	0.00
7.50	2.361	-7.50
15.00	1.892	-15.00
22.50	1.106	-22.50
30.00	0.000	-30.00

### Horizontal Curve by Off-set Method



In a Road curve between two straights, having deflection angle  $108^\circ$ , Bernoulli's lamniscate is used as throughout. Make necessary calculations for setting out curve if the apex distance is 20 m.

Delta = 108  
 VM 20  
 Pi = 3.14159

In triangle  $T_1VM$ , Angle  $AVM = 36 = 0.6283 \text{ Rad}$

From Bernoulli's lamniscate method, we have  $VT_1M = \alpha = \Delta/6 = 18$

$VMT_1 = 126$

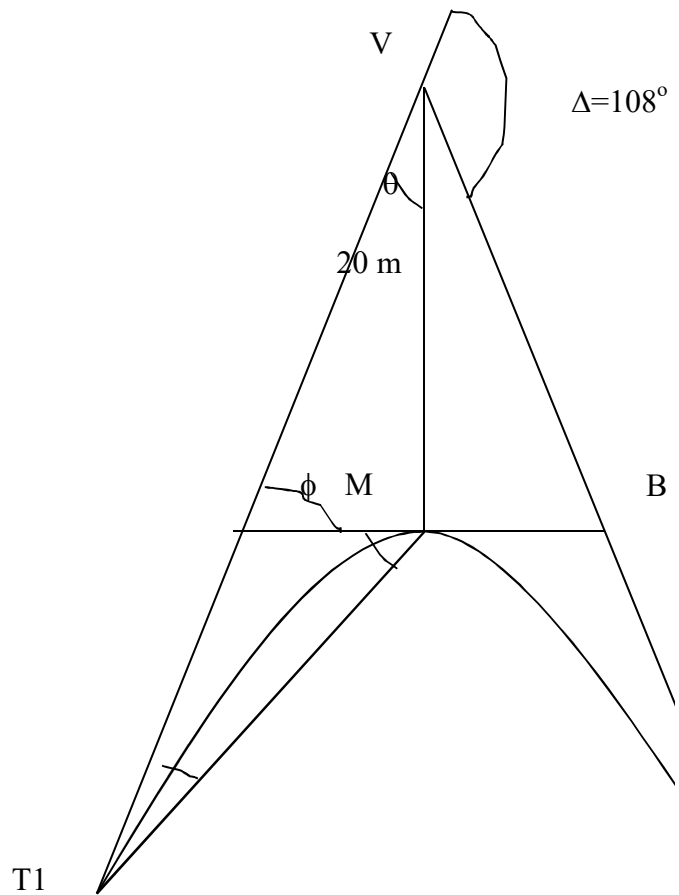
By Sine rule

$T_1M = b = 38.042$

$b = K \cdot \sqrt{\sin 2\alpha}$

$K = 49.62$

Alpha		b
Degrees	Rad	m
0	0	0.00
2	0.0349	13.11
4	0.0698	18.51
6	0.1047	22.63
8	0.1396	26.05
10	0.1745	29.02
12	0.2094	31.65
14	0.2443	34.00
16	0.2793	36.12
18	0.3142	38.04



: a transitional curve

0.3142 Rad





b

$\alpha$

$T_1$



$T_2$

## DESIGN OF THE LENGTH OF THE VERTICAL CURVE

An ascending gradient of 1 in 100 meets a descending gradient of 1 in 120. A summit curve is to be designed for a speed of 80 kmph. Assume coefficient of friction as 0.35 and reaction time of the driver as 2 Seconds.

n1 =	0.01
n2 =	-0.00833
V =	80 kmph
f =	0.35
t =	2 Seconds
H =	1.2 m (Assumed)
h =	0.1 m (Assumed)

### Solution

Stopping Sight Distance = SSD = S

$$S = 0.278Vt + (V^2/254f) \quad 116.471 \text{ m}$$

$$N = n1 - n2 \quad 0.01833$$

### Length of the summit curve (L)

$$1) L \geq S \quad L = NS^2 / [\text{Sqrt}(2H) + \text{Sqrt}(2h)]^2$$

$$2) L < S \quad L = 2S - [\text{Sqrt}(2H) + \text{Sqrt}(2h)]^2 / N$$

$$L = NS^2 / [\text{Sqrt}(2H) + \text{Sqrt}(2h)]^2 \quad 62.399 \text{ m}$$

$$L = 2S - [\text{Sqrt}(2H) + \text{Sqrt}(2h)]^2 / N \quad 15.543 \text{ m}$$

$$\text{Length} = 15.543 \text{ m}$$

## VERTICAL CURVE SETTING

INPUT			
Up Grade	$n_1$	0.50%	
Down Grade	$n_2$	-0.70%	
Chainage at Intersection	$Ch_i$	500.00	m
R.L. at Intersection	$RL_i$	330.75	m
Rate of change of grade per m	$G$	0.0033	%
Chain Length	$ChL$	30.00	m

### I. Length of the Vertical Curve

1. Total change of Grade =	$n_1 - n_2$	1.20%	
2. Length of Vertical Curve =	$L_v$	360.00	$L_v = (n$
the apex	$L_a$	180.00	$L_a =$

### II. Chainage

1. Chainage of the beginning of the curve	$Ch_b$	320.00	$Ch_i - L_a$
2. Chainage at the end of the curve	$Ch_e$	680.00	$Ch_i + L_a$
3. Total No. of Station =	$n$	12	$(Ch_e - Ch_b)/$
4. Apex Station Number		6	$n/2$

### III. Reduced Levels

1. RL of the beginning of the curve	$RL_b$	329.85	$RL_i - L_a \times n$
2. RL of the end point of the curve	$RL_e$	329.49	$RL_i + L_a \times r$
3. RL of the mid point of the curve	$RL_m$	329.67	Average of
4. RL of the vertex of the curve	$RL_v$	330.21	Average of

### IV. RL of the points on the curve

1. RL of the First point on the tangent	$RL_{1T}$	330.00	$RL_b + n_1 \times Cl$
2. Tangent correction for the first point	$T_{1c}$	0.015	$(1/6)^2 (RL_i -$
3. RL of the points on the curve	$RL_{1c}$	329.99	$RL_{1T} - T_{1c}$

### Output

Station	Chainage	Grade Elevation	Tangent Correctn	Curve Elevn	Remarks
0	320.00	329.85	0.000	329.850	Beginning of curve
1	350.00	330.00	0.015	329.985	

2	380.00	330.15	0.060	330.090	Upward gradient with $n_1$
3	410.00	330.30	0.135	330.165	
4	440.00	330.45	0.240	330.210	
5	470.00	330.60	0.375	330.225	
6	500.00	330.75	0.540	330.210	Vertex of curve
7	530.00	330.54	0.375	330.165	Downward gradient with $n_2$
8	560.00	330.33	0.240	330.090	
9	590.00	330.12	0.135	329.985	
10	620.00	329.91	0.060	329.850	
11	650.00	329.70	0.015	329.685	
12	680.00	329.49	0.000	329.490	End of curve

**Note:**

- Grade elevation increases upto chainage intersection and decreases there onw  
Grade elevation = Previous Grade elevation +  $n_1 \times$  Chain Length (Up to Apex)  
Grade elevation = Previous Grade elevation +  $n_2 \times$  Chain Length (After Apex)
- Tangent correction increases upto chainage intersection and decreases there c  
Tangent correction =  $(\text{Stn. No.} - (n/2))^2 (RL_1 - RL_v)$  upto Apex  
Tangent Correctin for stations after Apex is Mirror image of stations upto Apex
- Curve elevation = Grade elevation - Tangent correction

$$(n_1 - n_2)/G$$
$$= L_v / 2$$

ChL

1

$n_2$

1. and 2.

3. and  $RL_i$

$nL$

$RL_v)$

wards

onwards

## Computation of Super Elevation for horizontal curves in roads

Input			
Radius of the curve	R (m)	229.0	
Design speed	kmph	288.0	80 m/s
Number of Lanes	n	2.0	
Width of each lane	B	3.5	
Constant	k	150.0	
Wheel base	L	6.0	

Super elevation e =	0.124212	$e = V^2/(225R)$
e =	0.07	If $e > 0.07$ , then $e=0.07$
$We_1 =$	0.157205	$We_1 = nL^2/2R$
$We_2 =$	10.5731	$We_2 = V/(0.5 \text{ Sqrt}(R))$
$We =$	10.7303	$We = We_1 + We_2$
$B_1 =$	14.2	$B_1 = B + We$
$C =$	0.516129	$C = 80/(75+V)$
$Se =$	0.996121	$Se = B_1 \times e$
$LS_1 =$	93.13537	$LS_1 = 0.0215 V^3/(C \times R)$
$LS_2 =$	74.70909	$LS_2 = Se \times k / 2$
$LS_3 =$	75.45852	$LS_3 = 2.7 V^2/R$
$LS =$	93.13537	
$LS =$	93.13537	
	Max(C27,C29,C31)	IF (( $LS_1 > LS_2$ ) and $LS_1 > LS_3$ ) Ther ( $LS_2 > LS_1$ ) and ( $LS_2 > LS_3$ ) Then L

Output	
Super Elevation =	0.07 m
Extra Widening =	10.7303 m

Length of the Transition curve = 93.13537 m



$\gamma$  LS = LS<sub>1</sub>, else IF  
S = LS2 else LS = LS<sub>3</sub>

## Balancing of Error of a Closed Traverse using Bowditch and Transit Rule

An abstract of a traverse sheet for a closed traverse is given below. Balance the traverse by Bowditch's and Transit Rule

INPUT			
Line	Length (m)	Latitude	Departure
AB	200	-173.20	100.00
BC	130	0.00	130.00
CD	100	86.60	50.00
DE	250	250.00	0.00
EA	320	-154.90	-280.00

### Bowditch's Rule

$$\delta L = \Sigma L \times (l/\Sigma l)$$

$$\delta D = \Sigma D \times (l/\Sigma l)$$

### Transit Rule

$$\delta L = \Sigma L \times (l/L)$$

$$\delta D = \Sigma D \times (d/D)$$

$l$  = Length of any leg

$\Sigma l$  = Total length of traverse

$\Sigma L$  = Total error (Algebraic sum) in Latitude

$\Sigma D$  = Total error (Algebraic sum) in Departure

$\delta L$  = Correction to the Latitude of the leg

$\delta D$  = Correction to the Departure of the leg

$l$  = Latitude of any leg

$d$  = Departure of the same traverse leg

$L$  = Arithmetic sum of the Latitudes

$D$  = Arithmetic sum of the Departures

Line	Length (l) (m)	Latitude (L)	Departure (D)	Correction		Corrected Values	
				$\delta L$	$\delta D$	Latitude	Departure
AB	200.0	-173.20	100.00	<b>1.700</b>	<b>0.000</b>	-174.9	100.0
BC	130.0	0.00	130.00	<b>1.105</b>	<b>0.000</b>	-1.1	130.0
CD	100.0	86.60	50.00	<b>0.850</b>	<b>0.000</b>	85.8	50.0
DE	250.0	250.00	0.00	<b>2.125</b>	<b>0.000</b>	247.9	0.0
EA	320.0	-154.90	-280.00	<b>2.720</b>	<b>0.000</b>	-157.6	-280.0
<b>Sum</b>	<b>1000.0</b>	<b>8.50</b>	<b>0.00</b>			0.0	0.0

Total Error in Latitude =  $\Sigma L = 8.50$

Total Error in Departure =  $\Sigma D = 0.00$

Perimeter of the Traverse =  $\Sigma l = 1000.0$

Total Arithmetic sum of Latitude =  $L = 664.7$

Total Arithmetic sum of Departure =  $D = 560.0$

Line	Length (l) (m)	Latitude (L)	Departure (D)	Correction		Corrected Values	
				$\delta L$	$\delta D$	Latitude	Departure
AB	200.0	-173.20	100.00	<b>-2.215</b>	<b>0.000</b>	<b>-175.415</b>	<b>100.000</b>
BC	130.0	0.00	130.00	<b>0.000</b>	<b>0.000</b>	<b>0.000</b>	<b>130.000</b>
CD	100.0	86.60	50.00	<b>1.107</b>	<b>0.000</b>	<b>85.493</b>	<b>50.000</b>
DE	250.0	250.00	0.00	<b>3.197</b>	<b>0.000</b>	<b>246.803</b>	<b>0.000</b>
EA	320.0	-154.90	-280.00	<b>-1.981</b>	<b>0.000</b>	<b>-156.881</b>	<b>-280.000</b>
<b>Sum</b>	<b>1000.0</b>	<b>8.50</b>	<b>0.00</b>			<b>0.000</b>	<b>0.000</b>

**ile**

and Transit rule

Computation of volume of earth work in filling or cutting of a Trapezoidal

Number of Ordinates	n	50	
Interval of Ordinates	x (m)	5	
Road or Bed width	B (m)	4	
Side Slope	1 H : k V	1.5	
Longitudinal Gradient	1 in S	500	
Direction of Gradient		1	(-1 for Downward slope, +1 for Upward)
Initial Formation R.L	(m)	20	

Distance (m)	FRL	GRL	Y-Ordinate	Area (m <sup>2</sup> )	Volume (m <sup>3</sup> )
0.0	20.000	20.50	-0.500	-1.6250	
5.0	20.010	20.25	-0.240	-0.8736	-6.2465
10.0	20.020	20.30	-0.280	-1.0024	-4.6900
15.0	20.030	20.75	-0.720	-2.1024	-7.7620
20.0	20.040	21.10	-1.060	-2.5546	-11.6425
25.0	20.050	20.80	-0.750	-2.1562	-11.7771
30.0	20.060	20.40	-0.340	-1.1866	-8.3571
35.0	20.070	20.90	-0.830	-2.2866	-8.6831
40.0	20.080	21.20	-1.120	-2.5984	-12.2126
45.0	20.090	21.50	-1.410	-2.6579	-13.1406
50.0	20.100	21.90	-1.800	-2.3400	-12.4946
<b>Total Volume</b>					<b>-97.0062</b>

Section

1 slope, 0 for Flat)









Reduced levels of ground along the centre line of a propc  
from chainage 0 to 80 has a rising gradient of 1 in 40 and  
2:1. Obtain the volume of earth work.

posed road from chainage 0 to 200 m is given below. The formation level at the 40  
from 80 to 200 m it is falling gradient of 1 in 100. The formation width of road at to

m chainage is 102.75. The formation of road Reduced levels of ground along th  
p is 12.0 m and the side slope of banking are from chainage 0 to 80 has a rising  
2:1. Obtain the volume of earth wo

The centre line of a proposed road from chainage 0 to 200 m is given below. The first 40 m is on a rising gradient of 1 in 40 and from 40 to 200 m it is on a falling gradient of 1 in 100. The formation level is 100 m.

Formation level at the 40 m chainage is 102.75. The formation of road Reduced level  
at top is 12.0 m and the side slope of banking are from chainage  
2:1. Obtain

Levels of ground along the centre line of a proposed road from chainage 0 to 200 m. Chainage 0 to 80 has a rising gradient of 1 in 40 and from 80 to 200 m it is falling gradient of 1 in 40. Calculate the volume of earth work.

n is given below. The formation level at the 40 m chainage is 102.75. The formation  
nt of 1 in 100. The formation width of road at top is 12.0 m and the side slope of b

on of road Reduced levels of ground along the centre line of a proposed road from  
anking are from chainage 0 to 80 has a rising gradient of 1 in 40 and from 80 to 2  
2:1. Obtain the volume of earth work.



om chainage 0 to 200 m is given below. The formation level at the 40 m chainage  
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is 102.75. The formation of road and the side slope of banking are Reduced levels of ground along the centre line from chainage 0 to 80 has a rising gradient of 2:1. Obtain the volume of earth work.

e of a proposed road from chainage 0 to 200 m is given below. The formation level is 100 m. From 0 to 80 m it is falling gradient of 1 in 40 and from 80 to 200 m it is falling gradient of 1 in 100. The formation width at chainage 0 is 10 m and at chainage 200 m it is 20 m. The road is to be constructed on a level ground. The road is to be constructed on a level ground. The road is to be constructed on a level ground.

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of road at top is 12.0 m and the side slope of banking are from chainage 0 to 80 m  
2:1. Obtain the volume

ind along the centre line of a proposed road from chainage 0 to 200 m is given by  
has a rising gradient of 1 in 40 and from 80 to 200 m it is falling gradient of 1 in 10  
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Reduced levels of ground along the centre line of a proposed road from chainage 0 to 80 has a rising gradient of 1 in 40 and from 80 to 200 m it is falling at a gradient of 2:1. Obtain the volume of earth work.

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## Water Hammer Analysis

Gradual Closure and Sudden closure of valve at the down stream end

Depends on Time of closure

$$T = 2L/C$$

$t < T$  Sudden Closure

$t \geq T$  Gradual Closure

$t$  is the actual time of closure,  $L$  is the length of the pipe and  $C$  is Celerity usually 1430 m/s

### Gradual Closure

$$p = \rho L V / t$$

$\rho$  is the mass density of the flowing fluid,  $V$  is mean flow velocity

### Sudden Closure

$$p = \rho V C \quad \text{Rigid Pipe}$$

$$p = V \sqrt{\rho / (1 / K + D / \delta E)} \quad \text{Elastic pipe}$$

$E$  has to be ignored if the pipe is non-elastic or rigid

$E$  is the youngs modulous of elasticity of pipe material,  $K$  is Bulk modulous of fluid,  $D$  is diameter of pipe and  $\delta$  is the thickness of pipe

The water is flowing the rate of 294.524 Litres/s in a pipe of length 2500 m and of diameter 500 mm. Find the rise in pressure if the valve provided at the end of the pipe line is closed in

a) 25 Seconds

b) 2 Seconds Rigid and Elastic

Take the values of  $E = 19.62 \times 10^{10}$  Pa,  $K = 19.62 \times 10^4$  Pa, Pipe thickness is 10 mm

Also find the Circumferential and Longitudinal stresses

### Data

Discharge	$Q =$	2.945E-01 m <sup>3</sup> /s	
Length	$L =$	2500 m	
Diameter	$D =$	0.5 m	
Pipe thickness	$\delta =$	1.000E-02 m	
Youngs Modulous	$E =$	1.962E+11 Pa	
Bulk Modulous	$K =$	1.962E+09 Pa	
Gradual ClosureTime	$t_1 =$	25.0 Seconds	
Sudden ClosureTime	$t_2 =$	2.0 Seconds	
Mass Density	$\rho =$	1000 kg/m <sup>3</sup> (assumed)	
Area of flow	$A =$	$\pi D^2/4$	0.196 m <sup>2</sup>
Mean flow velocity	$V =$	$Q / A$	1.50 m/s
Celerity	$C =$	$\text{Sqrt}(K/\rho)$	1400.71 m/s

### a) Gradual Closure

$$T = 3.570 \text{ Seconds} < 25 \text{ Seconds and Gradual Closure}$$

$$p = 149999.97 \text{ Pa} \quad 150.00 \text{ kPa}$$

**b) Sudden Closure**

**i) Rigid Pipe**

$$p = 2101070.71 \text{ Pa} \quad 2.10 \text{ MPa}$$

**ii) Elastic Pipe**

$$p = 1715517.051 \text{ Pa} \quad 1.72 \text{ MPa}$$

**Circumferential Stress ( $\sigma_c$ )**

$$\sigma_c = p D / 2 \delta \quad 42887926.265 \text{ Pa} \quad 42.89 \text{ MPa}$$

**Longitudinal Stress ( $\sigma_L$ )**

$$\sigma_c = p D / 4 \delta \quad 21443963.133 \text{ Pa} \quad 21.44 \text{ MPa}$$

## Head over Ogee Weir

An Ogee weir is constructed in an open channel for its full width ( $B$ ). The crest of the weir is  $Y$  m above the channel bed. The coefficient of discharge is  $C_d$ . Determine the head over the weir inclusive of velocity of approach

Height of Ogee Weir = $Y =$	1.20 m
Discharge over Ogee Weir = $Q =$	$18.00 \text{ m}^3/\text{s}$
Length of dam = Channel Width = $B =$	50.00 m
Coefficient of Discharge = $C_d =$	0.60
Gravitational acceleration = $g =$	$9.81 \text{ m/s}^2$
Allowable error in Head Calculations = $\varepsilon =$	0.005

Weir Coefficient =  $C_w = (2/3)C_d \text{ Sqrt}(2g)$  1.7718

Discharge =  $Q = C_w B \{ [H+h_a]^{1.5} - h_a^{1.5} \}$

Ignoring  $h_a$  in the first trial we have  $H = [Q/(C_w B)]^{(2/3)}$

1 Head over the Ogee weir =  $H_1 =$  0.34562 m

2 Head =  $H = H_1 =$  0.34562

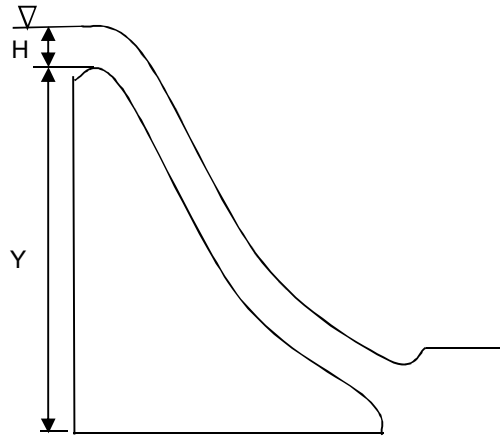
3 Velocity of approach =  $V_a = Q/[B (Y+H)]$  0.23292 m/s

4 Velocity Head =  $h_a = V_a^2/2g =$  0.00277

5 Head over the weir crest =  $H = [H_1^{1.5} + h_a^{1.5}]^{(2/3)} - h_a$  0.34302

6 Error =  $H - H_1$  -0.00260

7 The Final Value of Head over the Weir in metres is 0.34302



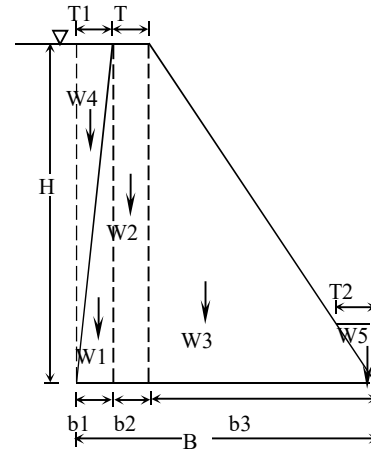


## Verification of Stability of a Gravity Dam

A masonry dam 10 m high is trapezoidal in section with a top width of 1 m and bottom width of 8.25 m. The face exposed to water has a batter of 1:10. Test the stability of the dam.

Find out the principal stresses at the toe and the heel of the dam. Assume unit weight of masonry as  $22.4 \text{ kN/m}^3$ . Mass density of water is  $1000 \text{ kg/m}^3$  and permissible shear stress of joint is  $1.4 \text{ Mpa}$

Height of dam = H =	10.00 m
Top width of dam = T =	1.00 m
Bottom Width of dam = B =	8.25 m
Water side batter = z V : 1 H	10.00
Weight Density of Masonry = $\gamma$ =	$22.40 \text{ kN/m}^3$
Mass Density of Water = $\rho$ =	$1000.00 \text{ kN/m}^3$
Permissible Shear Stress of joint = $\tau$ =	$1.40 \text{ Mpa}$
Gravitational acceleration = g	$9.81 \text{ m/s}^2$
Base width of water wedge on U/s dam = $T_1$	$1.00 \text{ m}$
Free board	$0.00 \text{ m}$
Tail water depth on Down stream = $H'$	$0.00 \text{ m}$
Coefficient of Friction = $\mu$ =	$0.75$ (Assumed)



Water Depth on Up Stream side = H =	10.00 m
Water Depth on Down Stream side = $H'$	0.00 m
Base width of water wedge on d/s of dam = $T_2$	0.00 m

Sl. No.	Particulars	Forces (N)		Lever arm (m)	Moment at toe (N-m)	
		Vertical	Horizontal		+ve	-ve
1	<b>Self Weight of dam</b>					
	Weight of Triangular portion on u/s = W1	112,000.00		7.583	849,333.33	
	Weight of Rectangle = W2 =	224,000.00		6.750	1,512,000.00	
	Weight of Triangular portion d/s = W3	700,000.00		4.167	2,916,666.67	
2	Weight of water column (U/s) = W4	49,050.00		7.917	388,312.50	
3	Weight of water column (D/s) = W5	0.00		0.000	0.00	
3	Uplift Force $\{[(\rho g H) - (\rho g H')]/2\} * B$	-404,662.50		5.500		2,225,643.75
4	Horizontal Waetr Pressure on U/s		490,500.00	3.333		1,635,000.00
5	Horizontal Waetr Pressure on D/s		0.00	0.000	0.00	
	Sum	680,387.50	490,500.00		5,666,312.50	3,860,643.75
	Algebraic Sum of Moments				1,805,668.75	

Water Pressure intensity at the Heel =  $p = \rho g H = 98,100.00 \text{ Pa}$

### Safety against Overturning

Eccentricity = $e = B/2 - \Sigma M / \Sigma V$	1.47	
Dam is Safe against overturning when the above value is less than $B/6$	1.38	<b>UNSAFE</b>

### Safety against Sliding

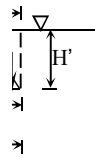
Factor of Safety =  $\mu \Sigma V / \Sigma H > 1$       1.04      **SAFE**

Shear Friction factor =  $(\mu \Sigma V + bq) / \Sigma H$       24.59

### Stresses

Compressive Stress at Toe is $P_n = (\Sigma V / B)(1 + 6e / B)$	170.71 kPa
Compressive Stress at Heel is $P_n = (\Sigma V / B)(1 - 6e / B)$	-5.77 kPa
Tan $\alpha$ = U/s Slope	0.1
Tan $\beta$ = D/s Slope	0.625
Sec $\alpha$ = $\text{Sqrt}(1 + \text{Tan}^2 \alpha)$	1.005
Sec $\beta$ = $\text{Sqrt}(1 + \text{Tan}^2 \beta)$	1.179

Principal Stress at Toe= $P_n \text{Sec}^2 \beta$	237.390 kPa
Principal Stress at Heel= $P_n \text{Sec}^2 \alpha - p \text{Tan}^2 \alpha$	-986.823 kPa
Shear Stress at Toe = $\tau = P_n \text{Tan} \beta$	106.692 kPa
Shear Stress at Heel = $-[ P_n - p] \text{Tan} \alpha$	9810.577 kPa

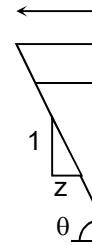




## DESIGN OF BEST TRAPEZOIDAL SECTION OF A CHANNEL

### INPUT

Channel Type	Ty	3.0	Rectangular (1), Triangular (2) and Trapezoidal (3)
Side Slope	z	1.5	z H : 1 V For Rectangular
Bed Slope	S	1800.0	Gradient 1 in S
Chezy's Constant	C	50.0	
Manning's Constant	n	0.000	
Inclination of side slope with Horizontal	Theta		in Degrees
Discharge	Q	30.0	m <sup>3</sup> /s



### Solution

#### MES Conditions for Trapezoidal section

1.  $B + 2yz = 2y \sqrt{1 + z^2}$
2.  $R = y/2$

Half top width = one side slope  
Hydraulic mean radius = half depth

$$z = \tan^{-1}(1/y)$$

$$Q = AC \sqrt{RS}$$

$$A = By + y^2z$$

$$P = 2y \sqrt{1+z^2}$$

$$T = B + 2 yz$$

$$\begin{aligned} B &= 0.606 y \\ R &= 0.500 y \\ A &= 2.11 y^2 \end{aligned}$$

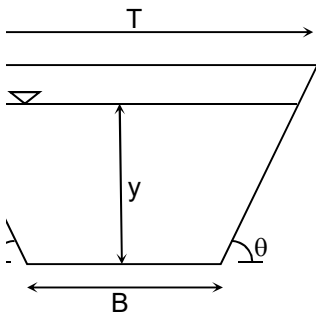
### Output

$$\begin{aligned} y &= 3.11 \text{ m} \\ B &= 1.885 \text{ m} \\ T &= 11.224 \text{ m} \end{aligned}$$

-

ular (2),

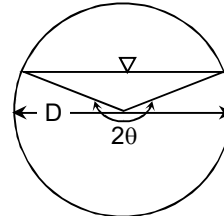
gular Zero



## DESIGN OF BEST CIRCULAR SECTION OF A CHANNEL

### INPUT

Best Discharge or Maximum Velocity	Ty	2.0	Best Discharge (1) or Maximum Velocity (2)
Bed Slope	S	500.0	Gradient 1 in S
Cheyzy's Constant	C	50.0	
Manning's Constant	n	0.000	
Diameter	D	3.0	m <sup>3</sup> /s



### Solution

MES Conditions for Trapezoidal section

For Maximum Discharge  $\theta = 154^\circ$  or 2.688 Radians

For Maximum Velocity  $\theta = 128.75^\circ$  or 2.247 Radians

$Q = AC \text{ Sqrt}(RS)$  or  $V = C \text{ Sqrt}(RS)$

$A = R^2 [\theta - 0.5 \text{ Sin } 2\theta]$       6.934075993

$P = 2 R \theta$       8.063414333

$R = A/P =$       0.859942911

### OUTPUT

$V =$       2.074 m/s

$Q =$       14.378 m<sup>3</sup>/s